

Clustering of river profiles

Examples from real and synthetic landscapes

Fiona Clubb, Bodo Bookhagen, and Aljoscha Rheinwalt August 23, 2018

Institut für Erd- und Umweltwissenschaften, Universität Potsdam

Combining topographic data with numerical models

 $|b(T, \epsilon, \epsilon, b)| \leq 2$ "[[storate] de - + ("ytorate - 7 800+ (cr-a) & the carda Anne & to present ((5+E) 4(5EE) + 4(152-147EE) E m-cy)-For Pinculf and a safe Sco for 1 -ME . R.W. 1460 iogy(A) = iyE-c)EK[1·译音CORie-Edu + Feelds " The Fletters $||x|\sqrt{y}|| = |x| + |y'| = |x \cap y|$ 40-1-1- chi Que good (100-042) lon 5 for (x) logs free de = 5 fee Em ing Storen da & Stevin dx Do (Ja) S K + 18 (\$ 2 P(4)) du (U) - du (U) - du (U) - du (U) with fill a the of the

1. New theory, method, etc...



2. Test on a numerical model



3. Apply on topographic data. 1m lidar for Mauna Loa, OpenTopography



How do landscapes respond to external forcing?

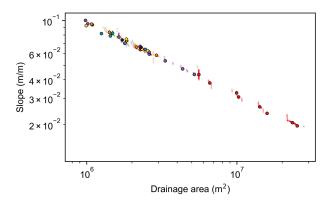
Channel gradient

River Traligill, Northwest Highlands, Scotland





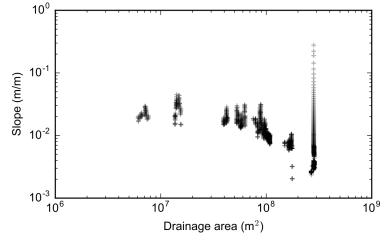
Slope vs. drainage area



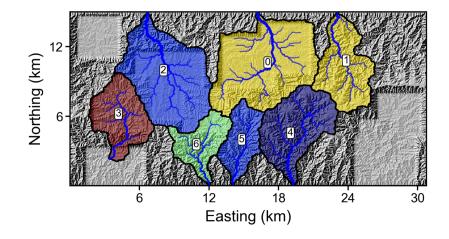
Empirical observations show a power law relationship between slope and drainage area (e.g. Morisawa, 1962; Flint, 1974)

 $S = k_s A^{\theta}$

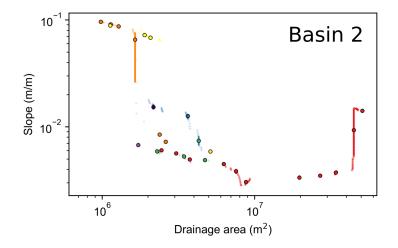
Problem 1: Data gaps and noise



Typical slope-area plot from Xi'an province, China (Mudd et al., 2018)



Problem 2: Landscape heterogeneity



Potential solution: clustering the river profiles

Potential solution: clustering the river profiles

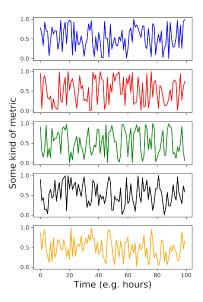
Separate channels with different morphology

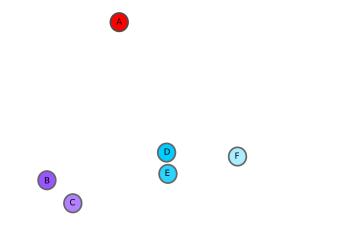
Potential solution: clustering the river profiles

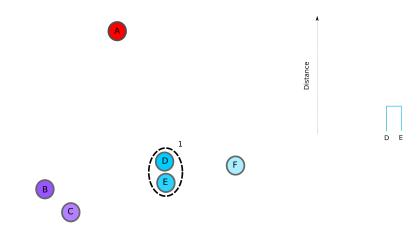
Separate channels with different morphology 'Clean up' extraction of channel metrics, such as normalised channel steepness

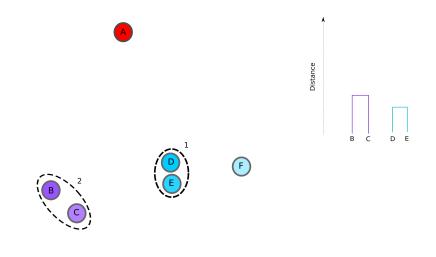
Clustering of 1D data

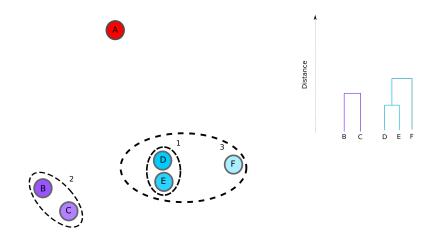
- Algorithms developed mostly for time series data
- Used in diverse fields: climate science, meteorology, geophysics, quantitative finance, economics, epidemiology, etc...

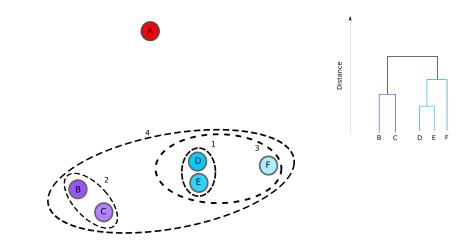


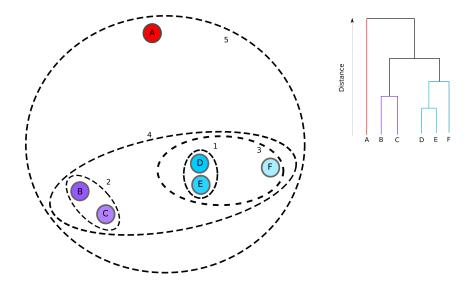




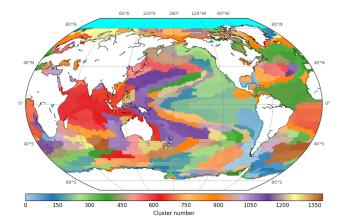






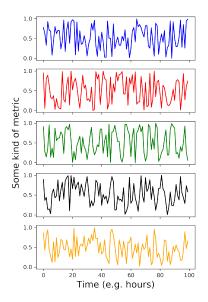


Example from environmental context

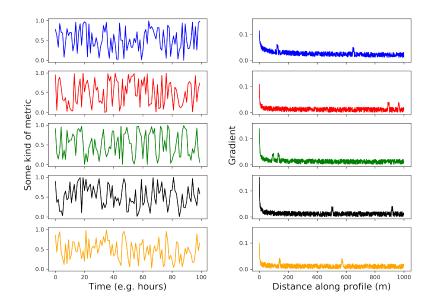


Global clustering of time series of sea surface temperatures (Rheinwalt et al., 2017)

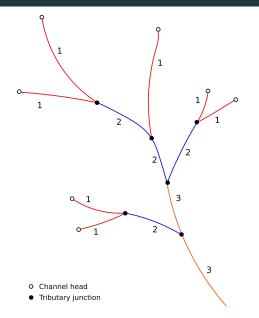
Application to river profiles



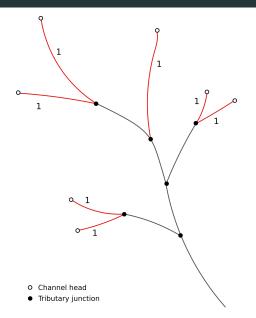
Application to river profiles



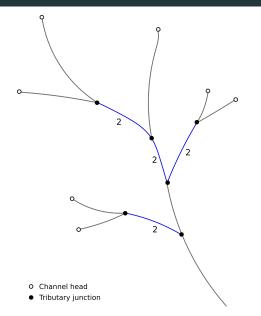
Clustering a river network



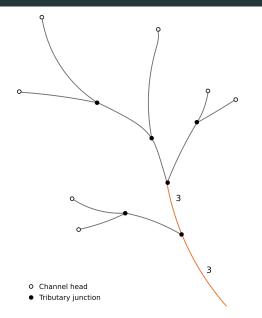
First order streams



Second order streams



Third order streams



Testing the method

Testing the method

Example from a model landscape with varying lithology

Testing the method

Example from a model landscape with varying lithology Example from Santa Cruz Island, CA

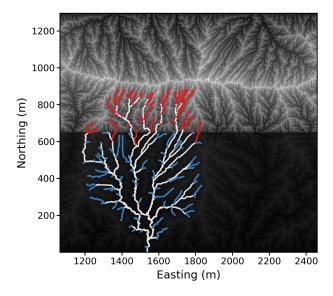
North: harder rocks

 $K = 6.23 \times 10^{-5}$

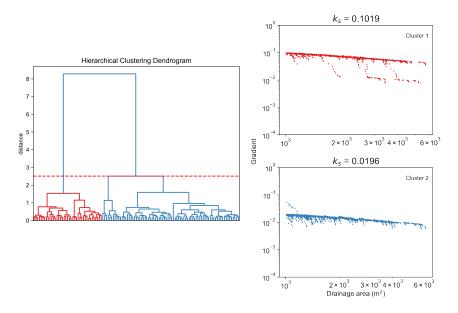
South: softer rocks

 $K = 3.12 \times 10^{-4}$

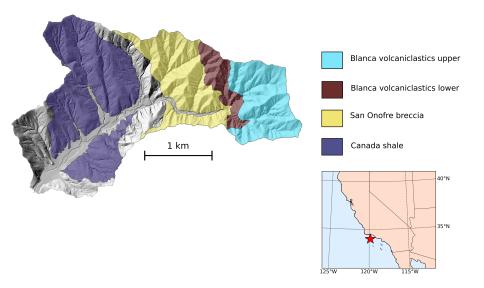
First order streams



First order streams



Pozo catchment, Santa Cruz Island



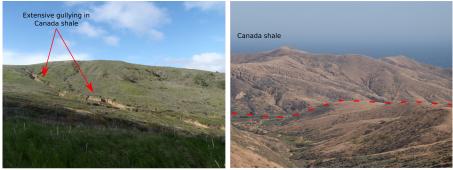
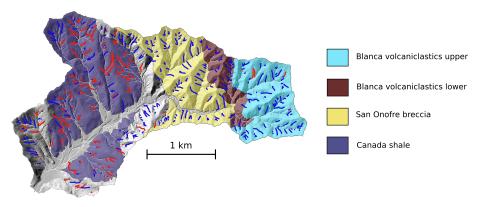


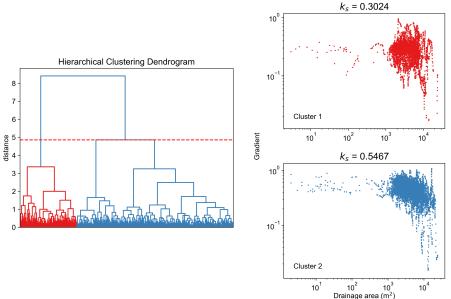
Photo credit: B. Bookhagen

San Onofre breccia

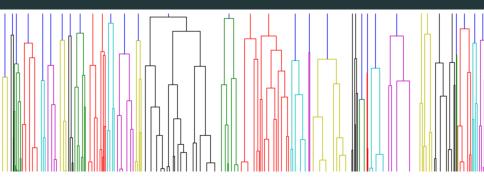
Pozo catchment, Santa Cruz Island



Pozo catchment, Santa Cruz Island

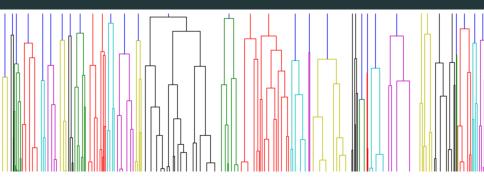


Summary



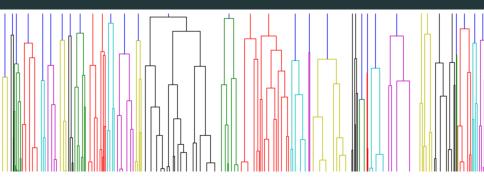
• Clustering can be used to tackle the problem of landscape heterogeneity

Summary



- Clustering can be used to tackle the problem of landscape heterogeneity
- Data-driven approach with few assumptions

Summary



- Clustering can be used to tackle the problem of landscape heterogeneity
- Data-driven approach with few assumptions
- Potential applications: channel steepness analysis, hillslope-valley transitions, extraction of alluvial reaches, etc...

Questions?

Quantifying differences

$$d = \left\| \frac{\mathbf{X} - \mathbf{Y}}{\mathbf{X} + \mathbf{Y}} \right\| \Big/ \sqrt{n}$$

 $\mathbf{X} = \mathsf{Profile} \ 1$

 $\mathbf{Y} = \mathsf{Profile} \ 2$

n = number of points in profile

